# Selective 3-edge-colourings and cyclic edge-connectivity in cubic bipartite graphs 

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The abstract is as follows:
It is well known that every cubic bipartite graph admits a proper colouring of its edges in three colours. The edges in a colour class of a 3-edge-colouring of a cubic bipartite graph $G$ form a perfect matching in $G$. So, to find a 3-edge-colouring of $G$ in which all the edges in a given set $K$ have the same colour, we need to find a perfect matching in $G$ which contains the set $K$. In this talk we consider restrictions on the cyclic connectivity of $G$ and the distances between pairs of edges in $K$ which will ensure that such perfect matchings exist.

